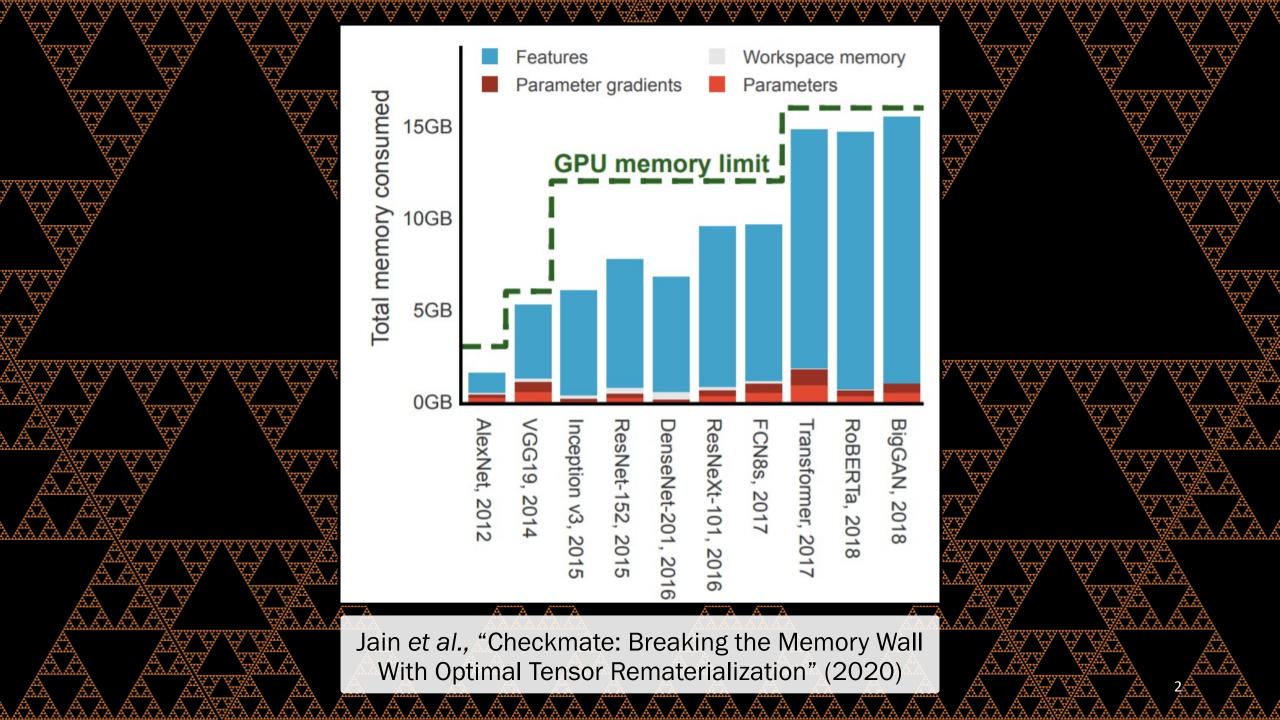
Dynamic Jensor Rematerialization

Presenter: Steven Lyubomirsky* Marisa Kirisame* Altan Haan* Jennifer Brennan Mike He Jared Roesch Tianqi Chen Zachary Tatlock

*Equal contribution

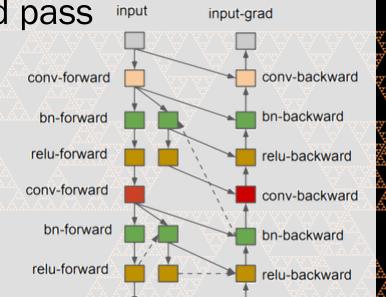
sampl APLSE





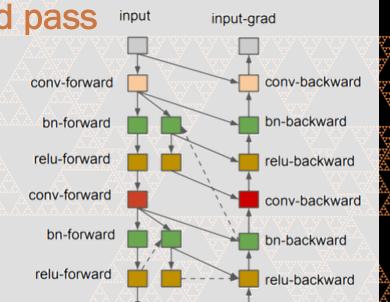
Checkpointing: Trade Time for Space

- Recompute activations instead of storing them
- Gradient Checkpointing, Chen et al. (2016)
 - Pick segments to recompute in backward pass
 - $O(\sqrt{N})$ memory for O(N) extra ops
 - Many later segmenting approaches
- Checkmate, Jain et al. (2020)
 - Rematerialize individual values
 - ILP for optimal(!) planning



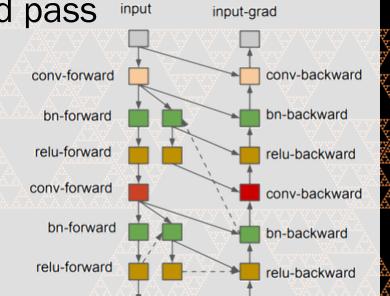
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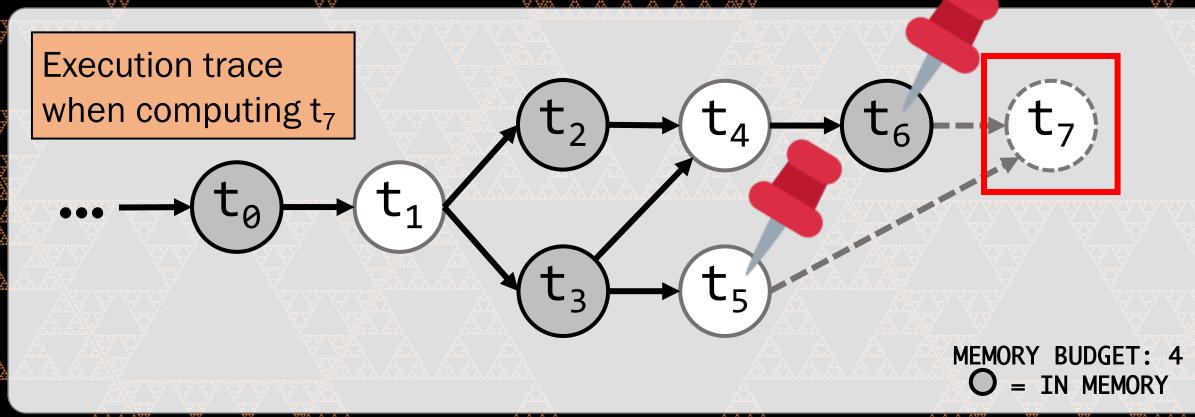


Static Planning is Unnecessary

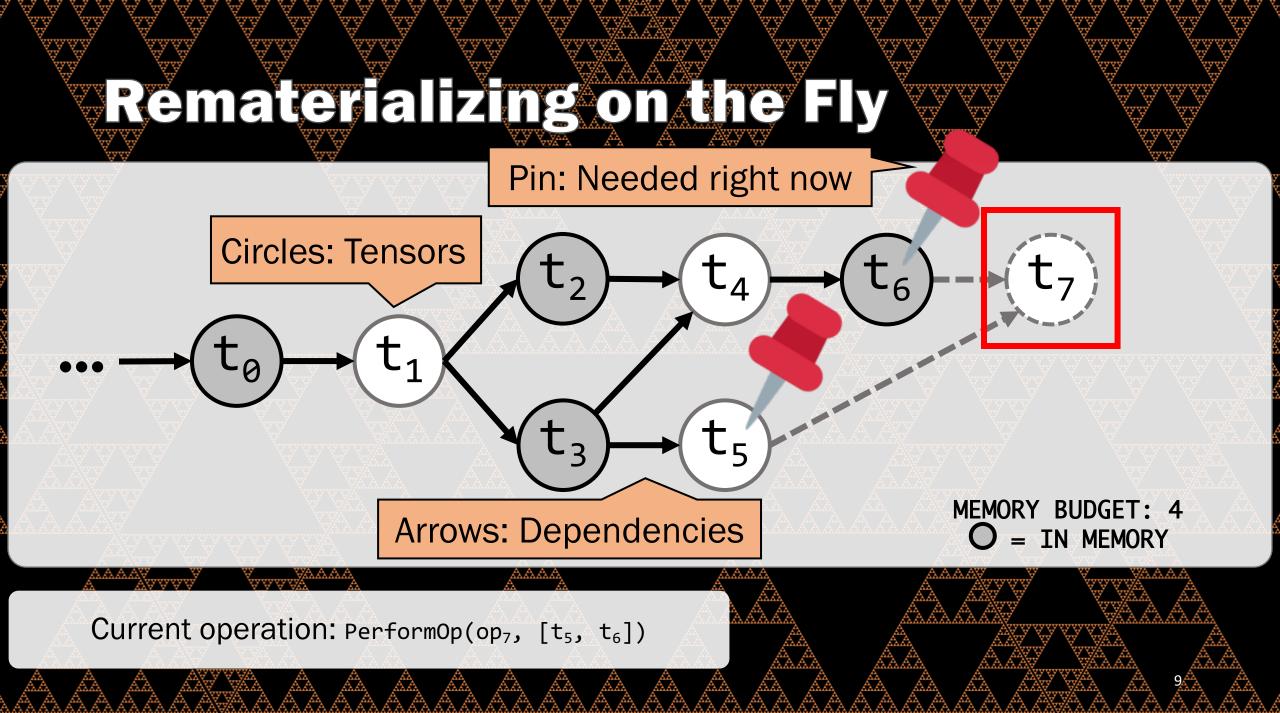
- Past approaches plan checkpoints in advance
- Require static knowledge of the model
- Planning can be expensive, limits applications
- Our contributions:
 - Static planning is unnecessary for checkpointing
 - Still achieve good compute-memory tradeoffs

Dynamic Tensor Rematerialization

- Cache-like approach: A runtime system
 - No static information necessary
 - Greedily allocate, evict and recompute as needed
 - Collects metadata to guide heuristics
 - Operates at a high level of abstraction
- Still competitive with static planning!

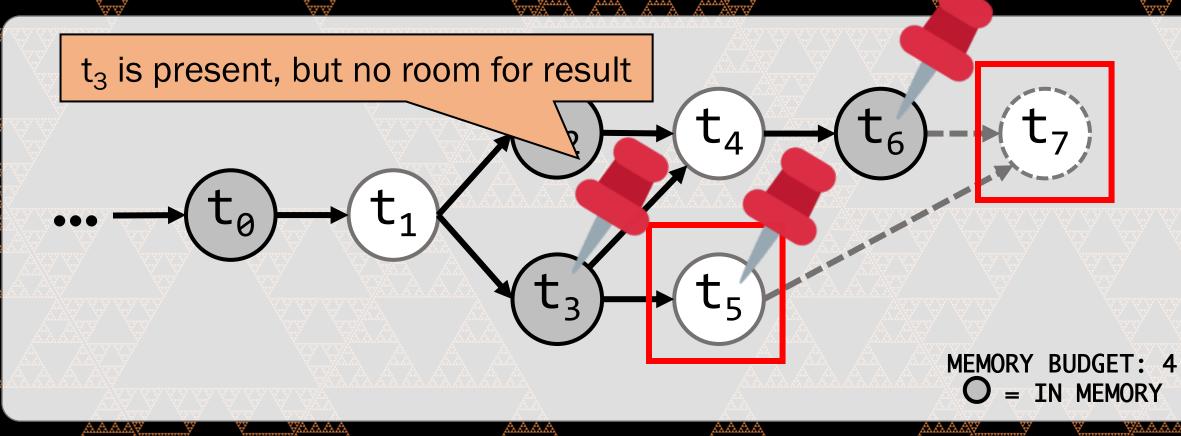


Current operation: PerformOp(op₇, [t₅, t₆])

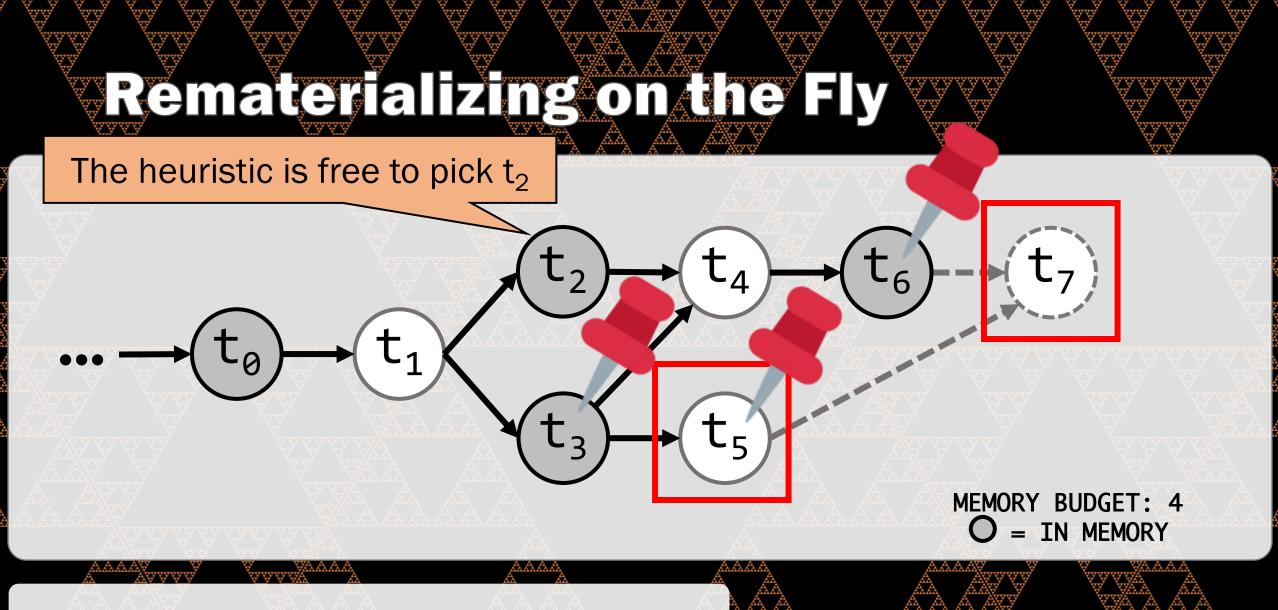


 $\begin{array}{l} \text{MEMORY BUDGET: 4} \\ O = \text{IN MEMORY} \end{array}$

Current operation: Rematerialize(t₅)



Current operation: PerformOp(op₅, [t₃])

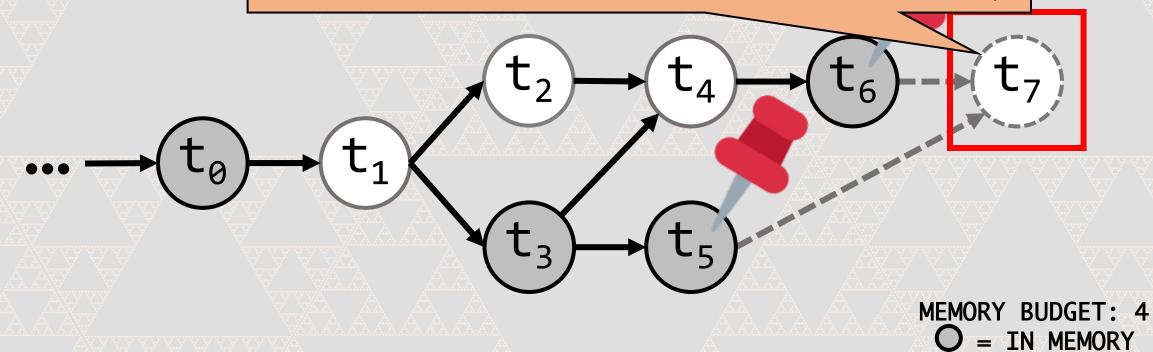


Current operation: PerformEviction()

6 Now we can recompute t_5 **MEMORY BUDGET: 4** IN MEMORY -

Current operation: AllocateBuffer(t₅.size); op₅(t₃)

Our arguments are back—but still no room for t₇!



Current operation: AllocateBuffer(t₇.size)

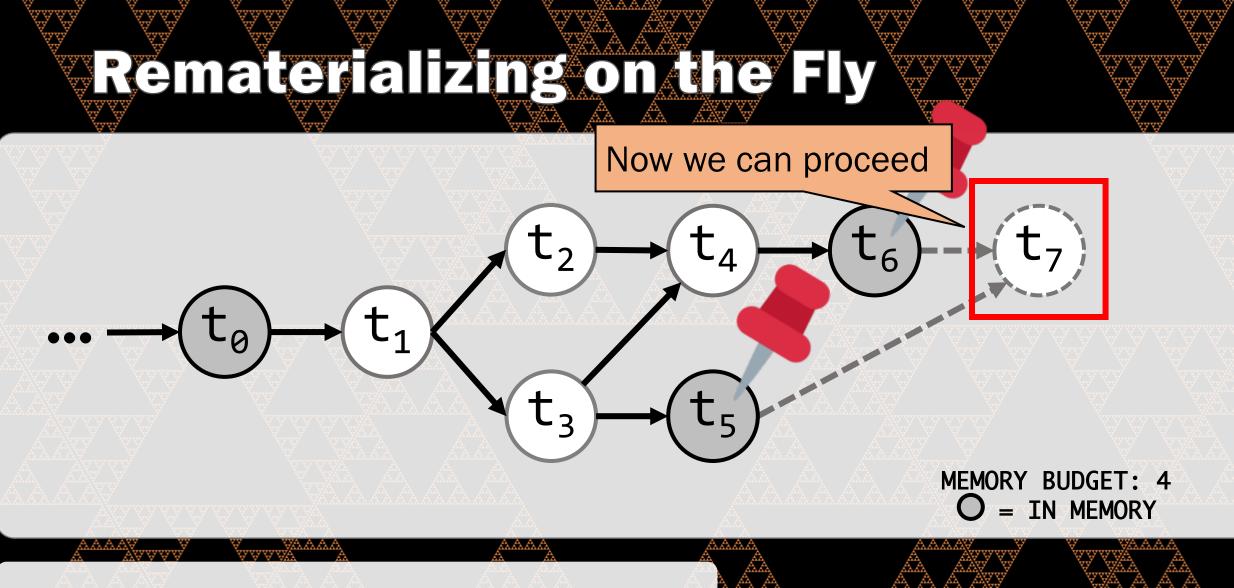
t,

Don't need t_3 right now, so we can evict

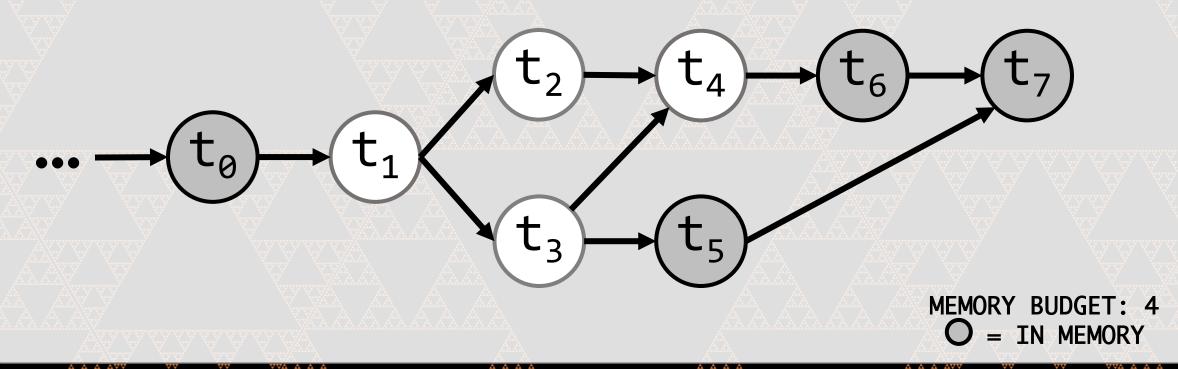
 $\begin{array}{l} \text{MEMORY BUDGET: 4} \\ \textbf{O} = \text{IN MEMORY} \end{array}$

6

Current operation: PerformEviction()



Current operation: $op_7(t_5, t_6)$





DTR: Just Some Callbacks

AllocateBuffer(size): Allocate if enough room, else evict until there is **PerformEviction()**: Heuristic chooses a tensor to evict

Rematerialize(t): Recompute t by replaying its parent op (PerformOp)

PerformOp(op, args):

- Rematerialize evicted arguments
- Make room for result
- Update metadata

What Do Heuristics Look Like?

- Dynamic prediction of which tensor is least valuable
- Useful metadata, easy to track:
 - Cost c(t): Avoid recomputing expensive tensors
 - Staleness s(t): Recently used \Rightarrow likely to be used soon
 - Memory m(t): Large tensors are most profitable to evict
- Resulting policy: minimize $h(t) = c(t)/(m(t) \cdot s(t))$
- Others: LRU $\left(\frac{1}{s(t)}\right)$ and largest-first $\left(\frac{1}{m(t)}\right)$

Reasoning About Tensor Cos

- True cost of a rematerialization includes recursive calls
- Recursively computing exact cost is expensive!
- We approximate evicted components via union-find
 - Keep a running sum for union-find components
 - When tensor rematerialized, map to a new component
 - Leaves "phantom connections" but is fast

Formal Bounds

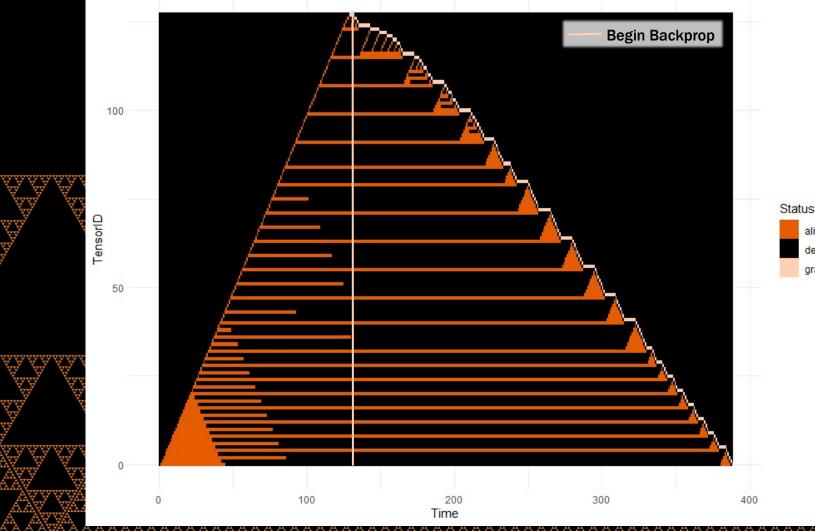
Performance on *N*-layer linear feedforward network:

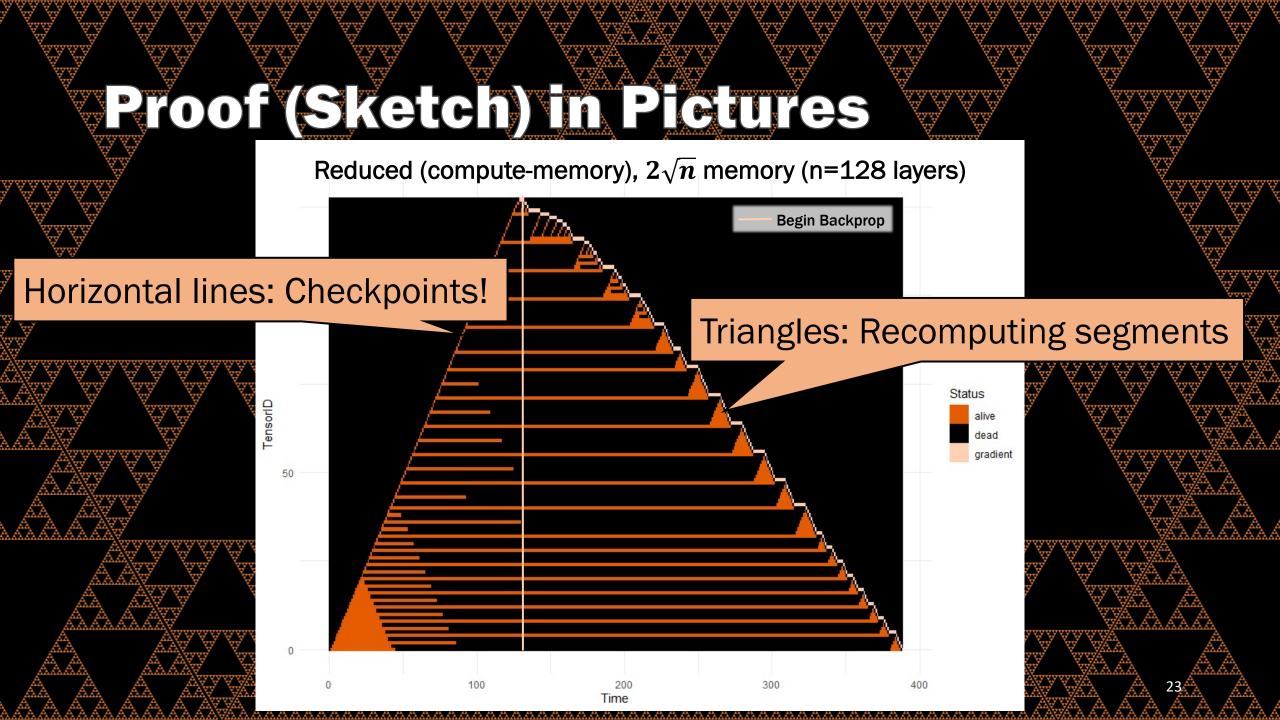
- $\Omega(\sqrt{N})$ memory and O(N) operations
- Same bound as Chen et al. (2016)
- No advance knowledge of model!

Proof (Sketch) in Pictures

Reduced (compute-memory), $2\sqrt{n}$ memory (n=128 layers)

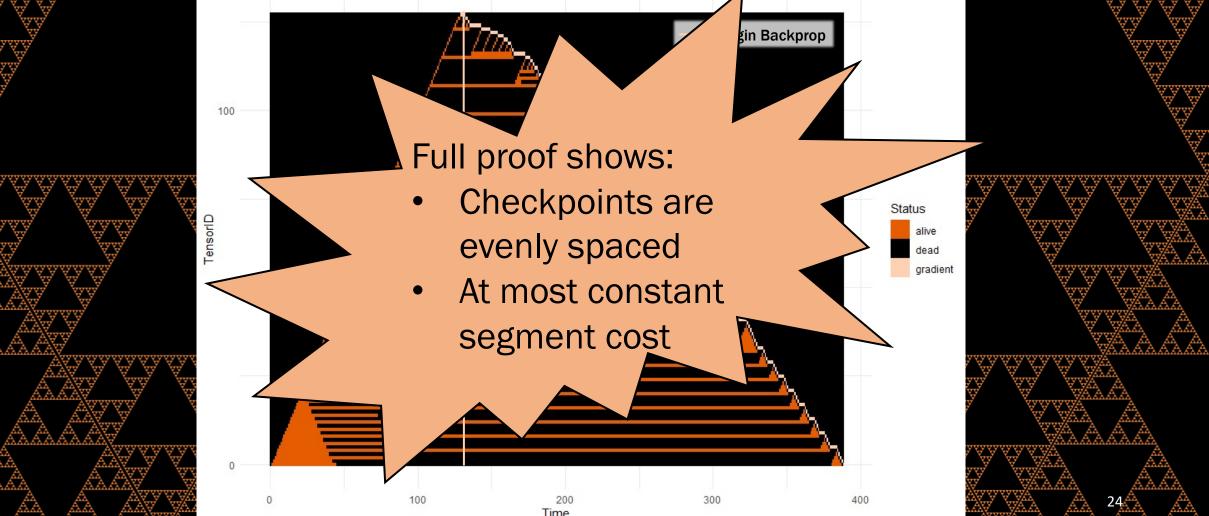
alive dead gradient





Proof (Sketch) in Pictures

Reduced (compute-memory), $2\sqrt{n}$ memory (n=128 layers)



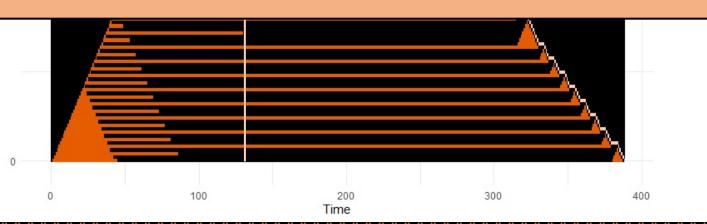
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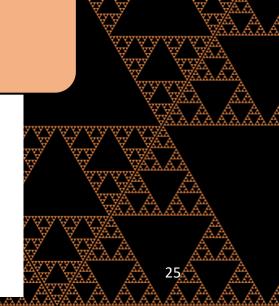
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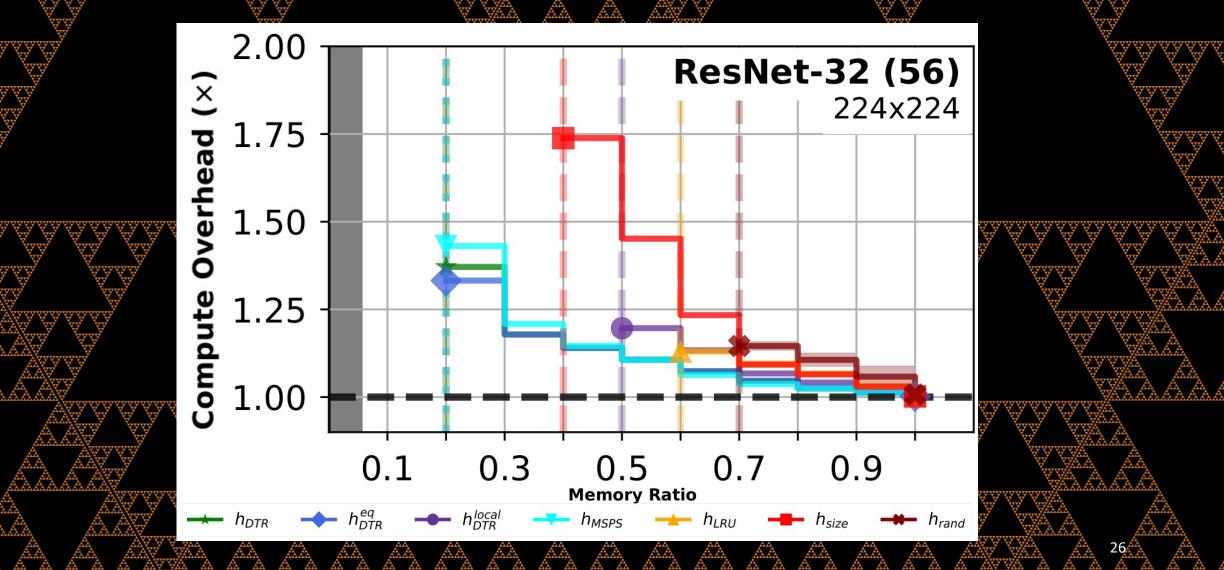
Begin Backprop

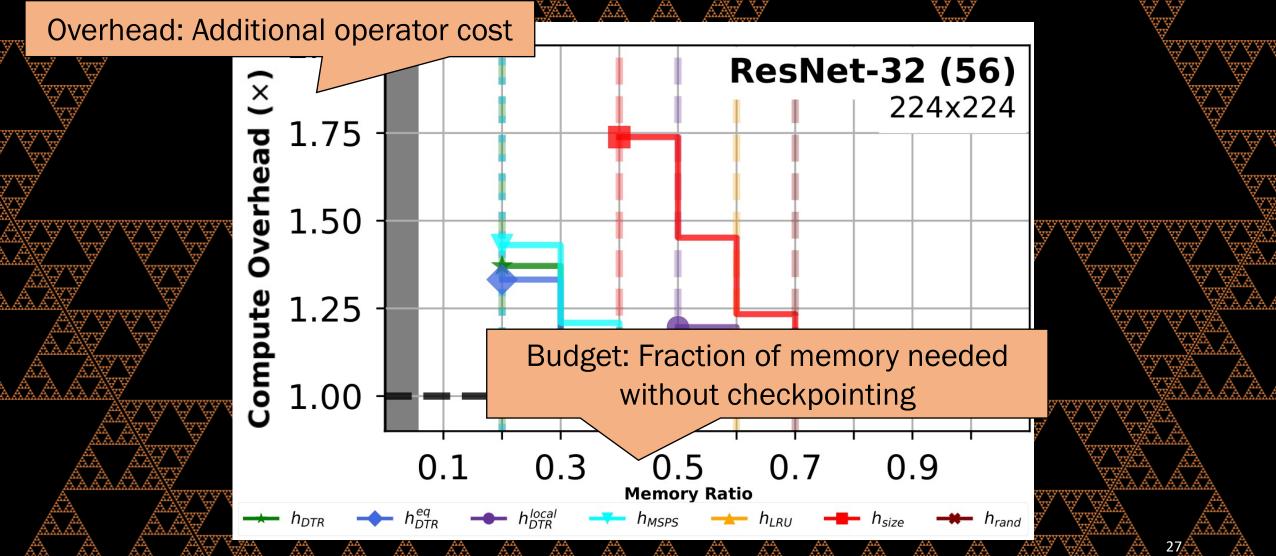
Also a "no-free-lunch" proof:

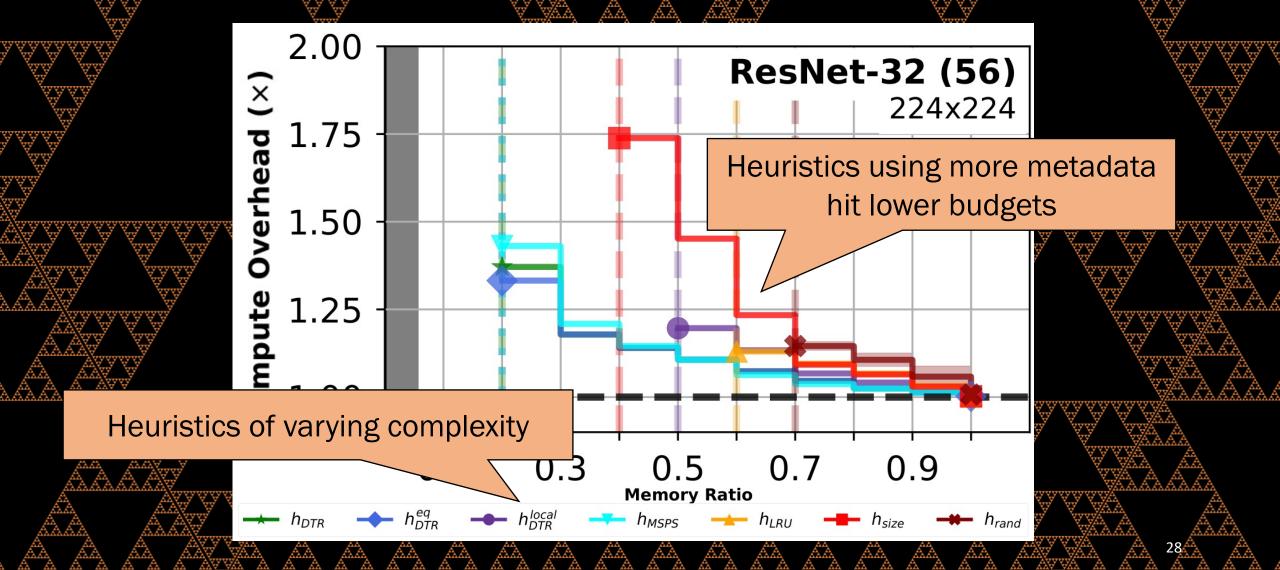
- Adversarial input exists for every heuristic
- Hence our empirical exploration

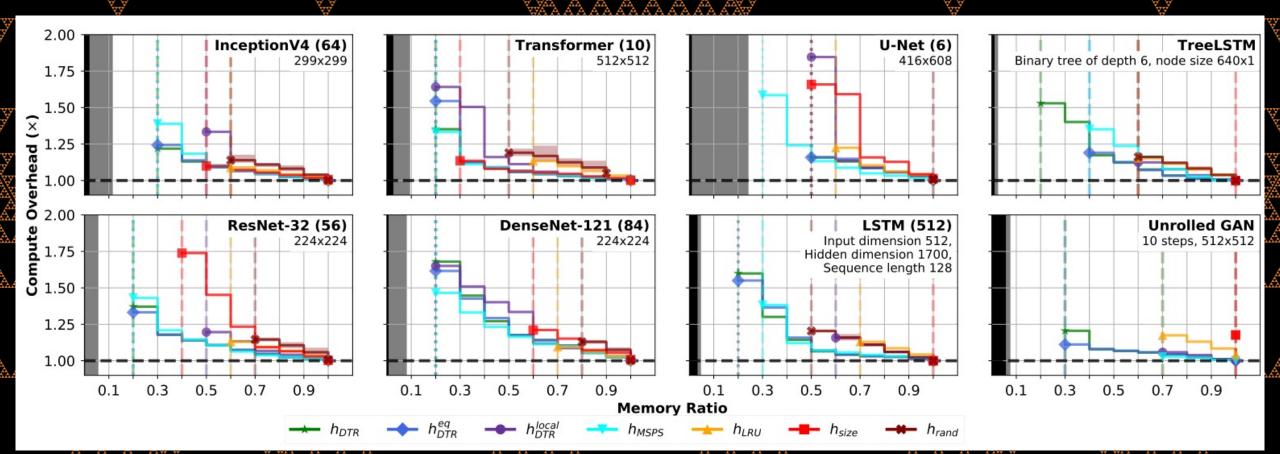




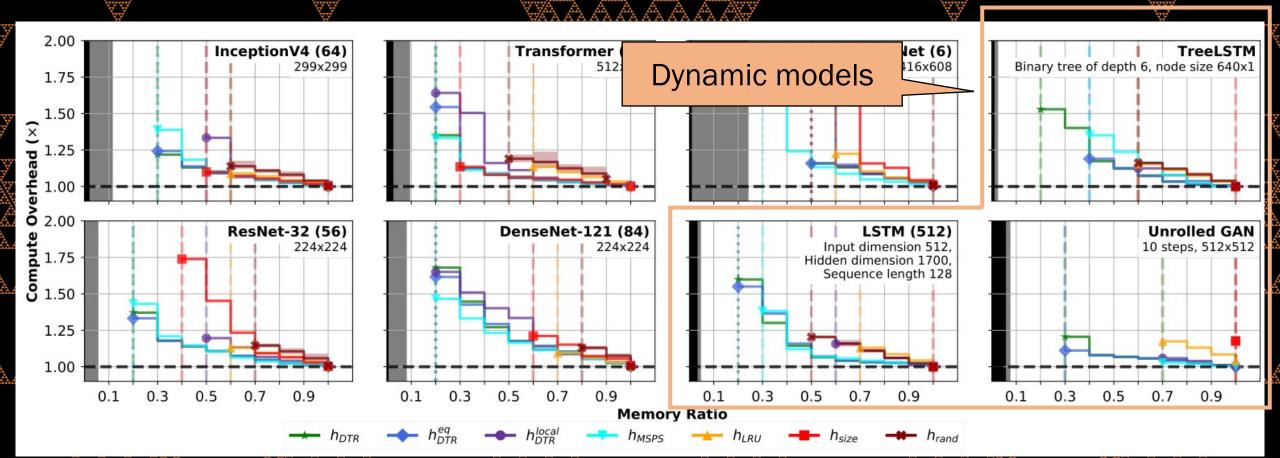






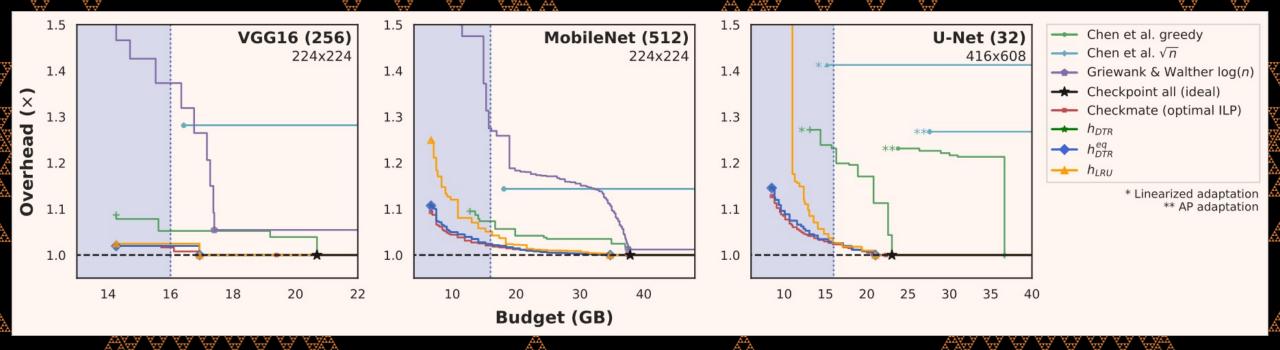


Similar trend holds across all models examined!



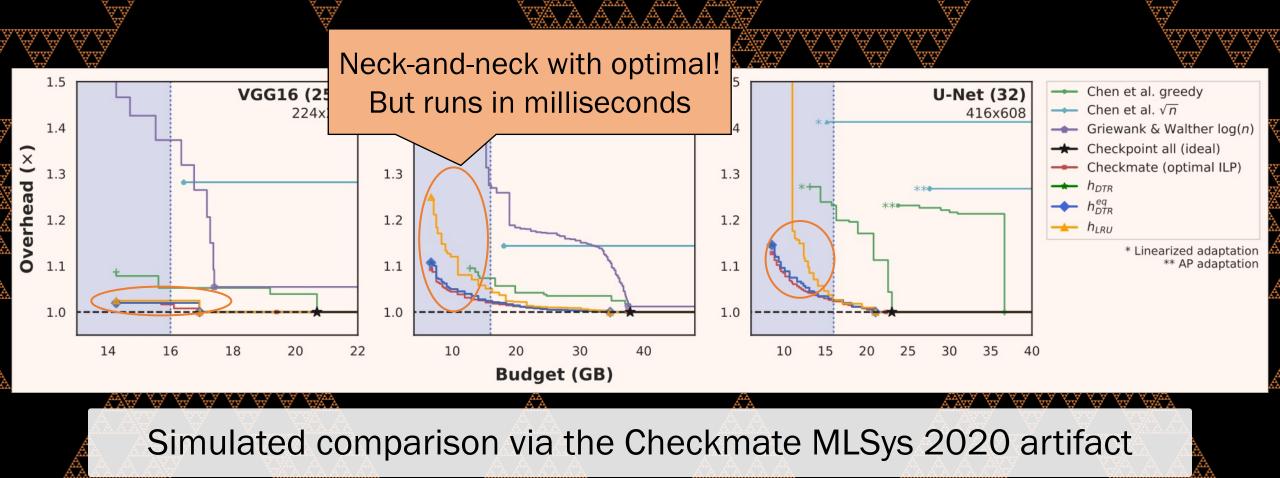
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Comparison Against Static Techniques

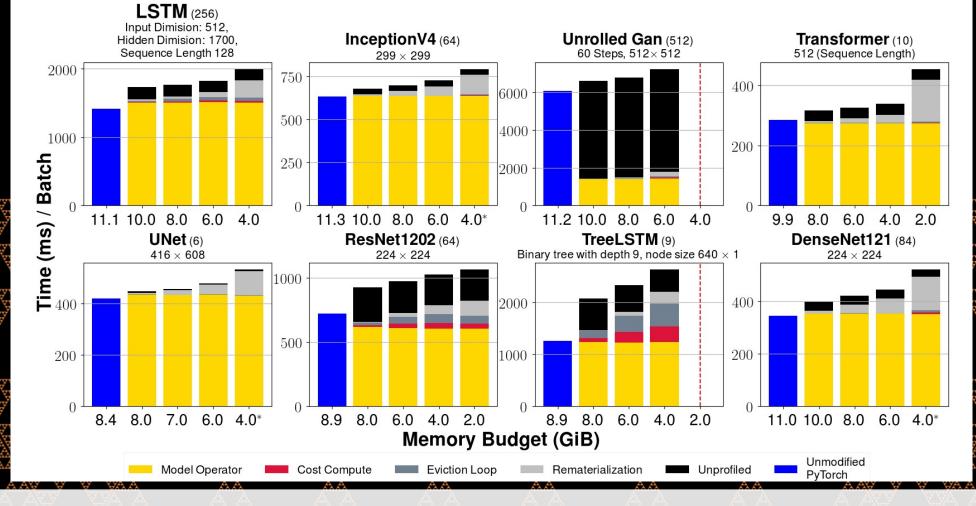


Simulated comparison via the Checkmate MLSys 2020 artifact

Comparison Against Static Techniques

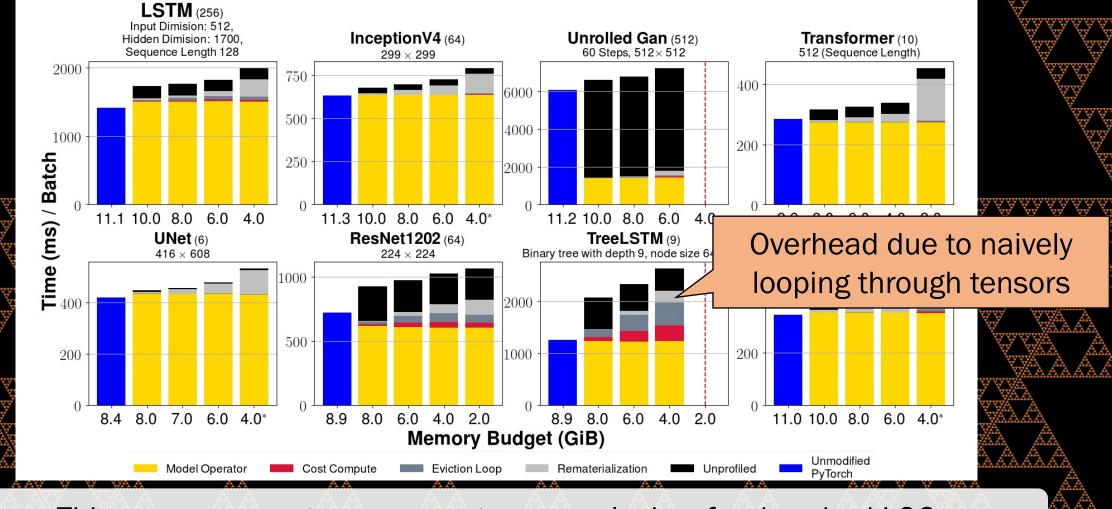


Prototype Implementation in PyTorch



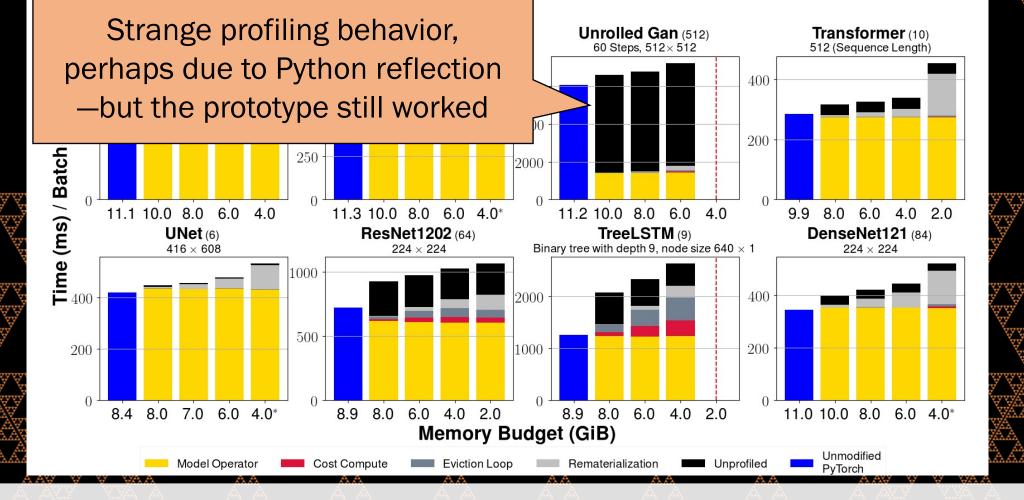
Thin wrapper over tensor operators, core logic a few hundred LOC

Prototype Implementation in PyTorch



Thin wrapper over tensor operators, core logic a few hundred LOC

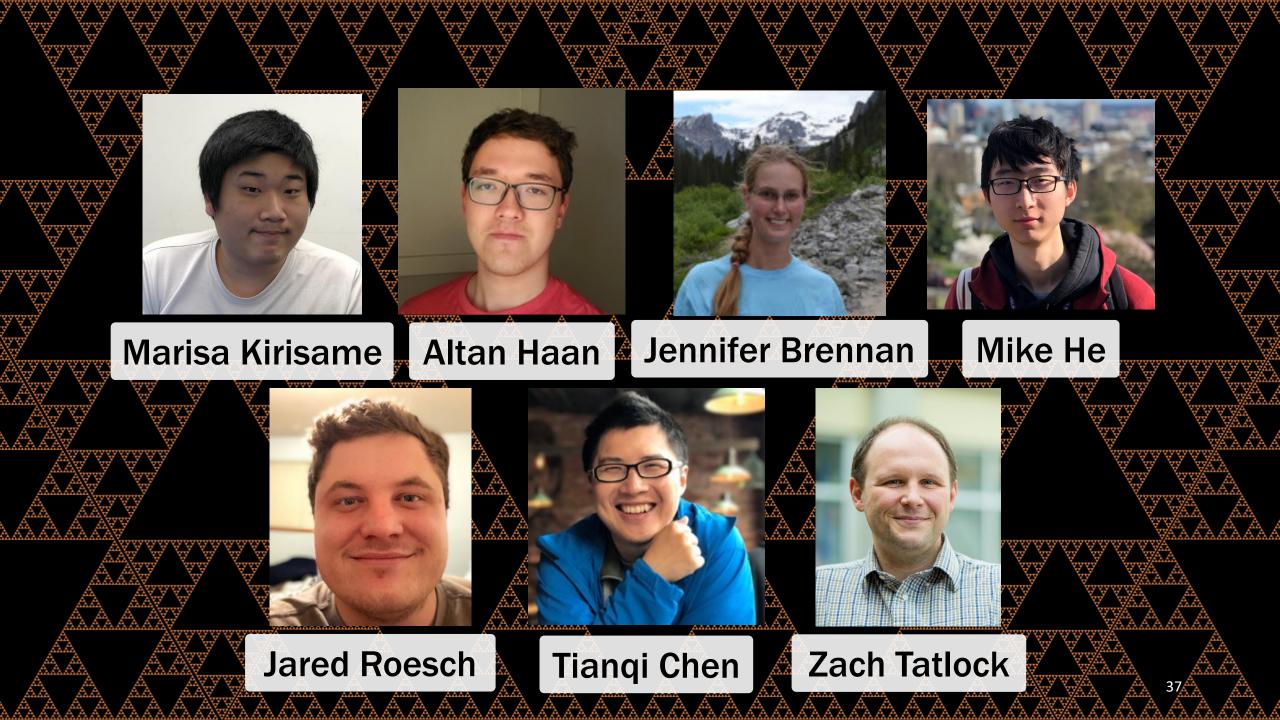
Prototype Implementation in PyTorch



Thin wrapper over tensor operators, core logic a few hundred LOC

Conclusion

- Encouraging initial results
- Many possible avenues of future work
 - Distributed settings: DTR per GPU?
 - Combining DTR with swapping
 - Tighter integration into the memory manager
 - Learning heuristics, learn from past batches
- Check out the simulator and prototype! <u>https://github.com/uwsampl/dtr-prototype</u>



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